

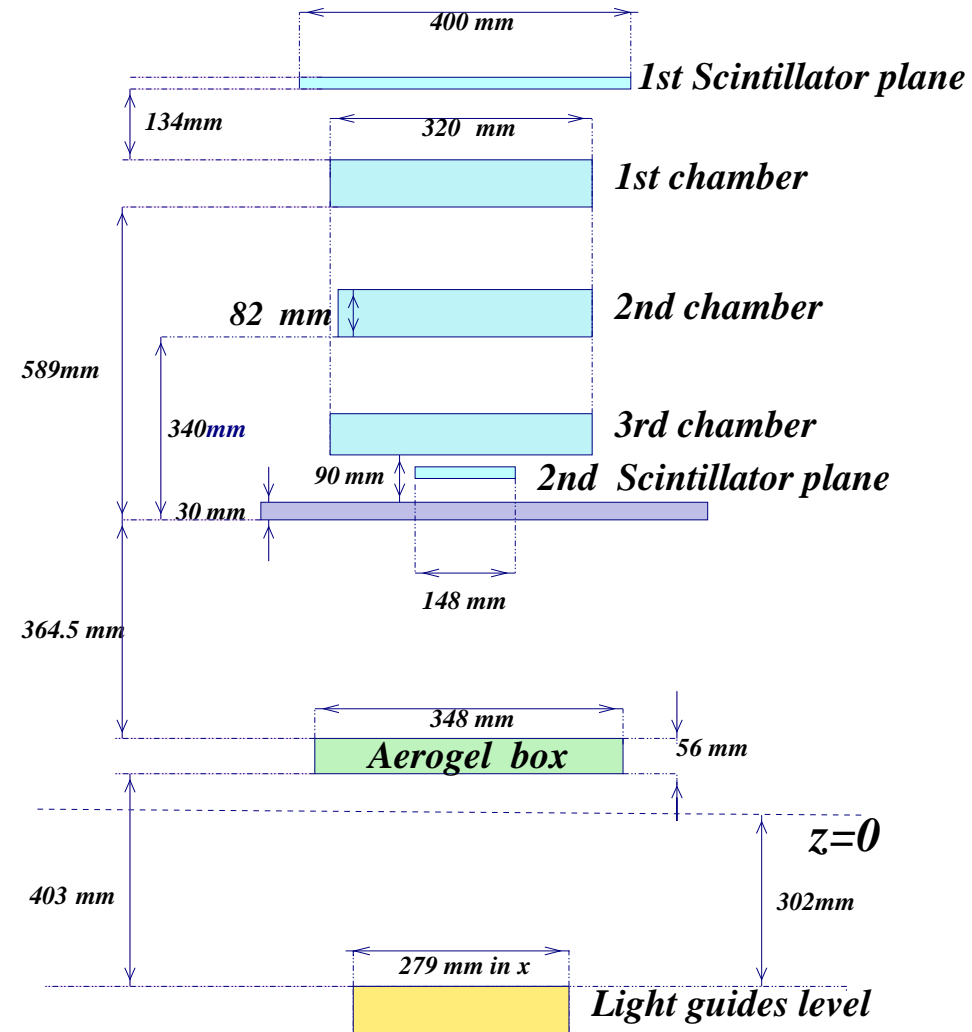
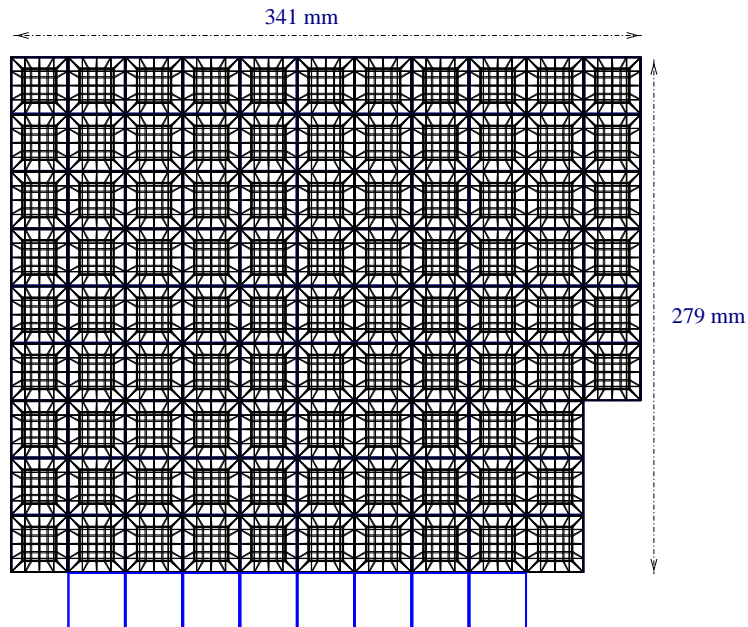
Reconstruction of β : analysis of $n=1.03$, $n=1.05$ and $n=1.33$ radiators

C. Delgado

- Setup and runs description.
- PMTs calibration and alignment procedures.
- Event selection.
- Number of hits.
- β reconstruction algorithms.
- Reconstruction results.
- Towards data/MC agreement for aerogel.
- Conclusions/Petitions.

Setup description

- Wire chambers and scintillators planes on top of radiator.
- PMT array geometry:



Adapted from Borges, Barao

Runs descriptions

The trigger rate is ~ 0.5 Hz

For the MC the simulated spectrum is muons at sea level.

- Radiator: 3 cm of aerogel $n=1.03$

- Data: run21: ~ 200000 evts

- MC: 100 Kevts

Clarity: $0.0041 \text{ cm}^{-1} \mu\text{m}^4$

- Radiator: 2cm of aerogel $n=1.05$

- Data: run 26: ~ 150000 evts

- MC: 100 Kevts

Clarity: $0.0091 \text{ cm}^{-1} \mu\text{m}^4$

n simulated: 1.0488

- Radiator: 0.5 cm of NaF $n=1.33$

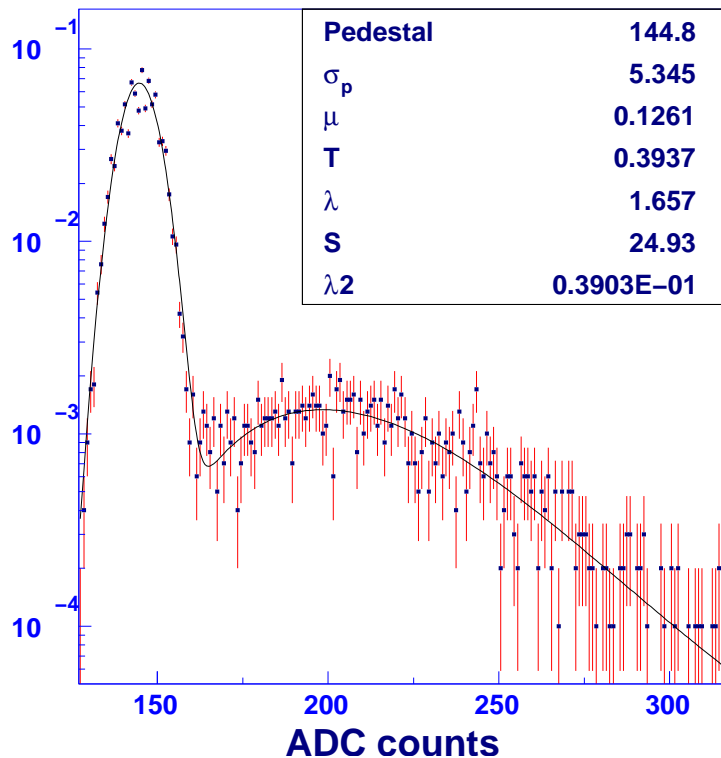
($10 \times 10 \text{ cm}^2$ tile)

- Data: run29: ~ 700000 evts

- MC: 200 Kevts

- All the aerogels with polyester supporting foil.
- NaF without supporting foil.
- All the runs aligned.
- Common PMT calibration for all the runs with noisy channel suppression for each run.

PMTs calibration



- Gain: $\approx S(1 + \lambda)$
- Single P.E. resolution: $\approx S\sqrt{\lambda}$
- Mean number of p.e.: μ

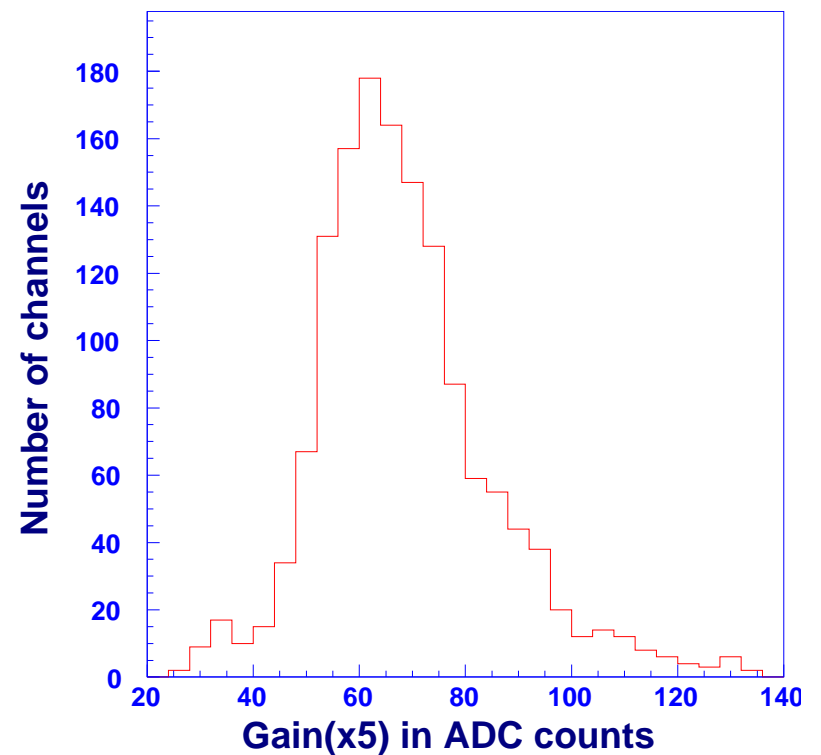
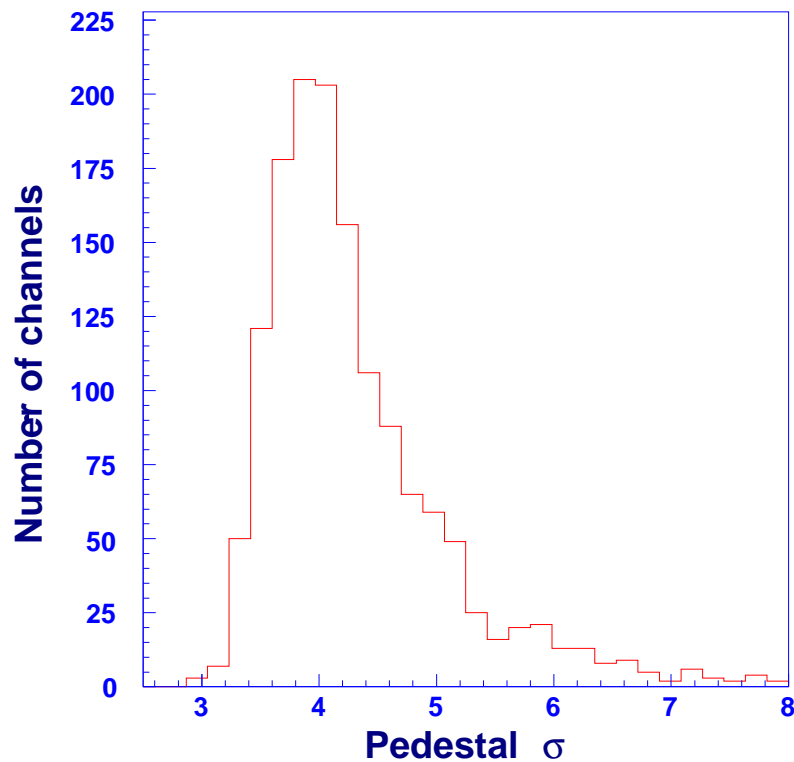
Fit to the convolution of several distributions:

1. Pedestal: Gaussian.
2. Single p.e.: Described by the approximate distribution

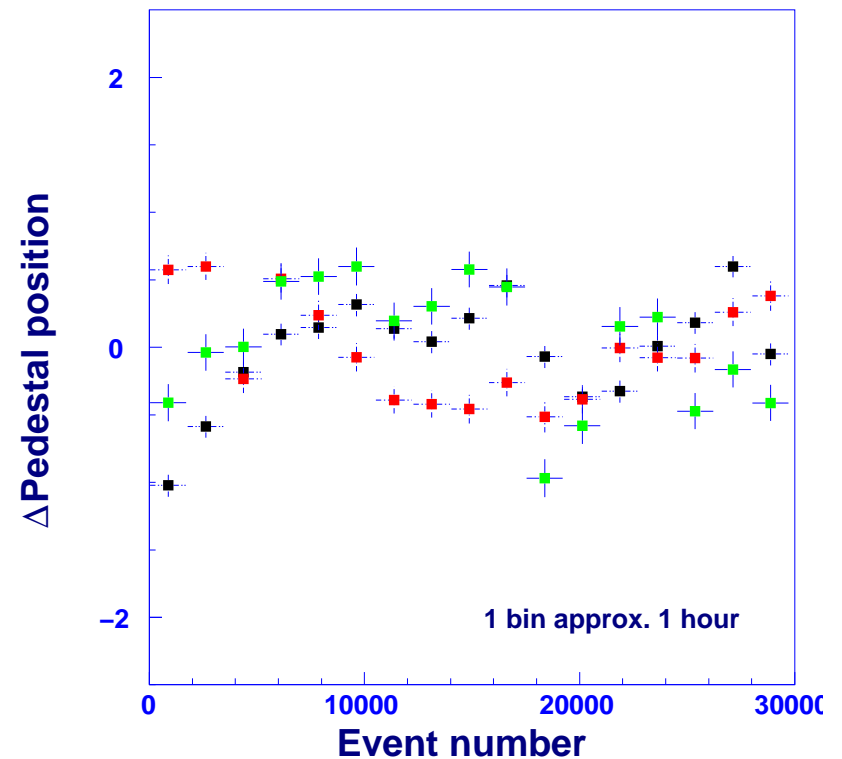
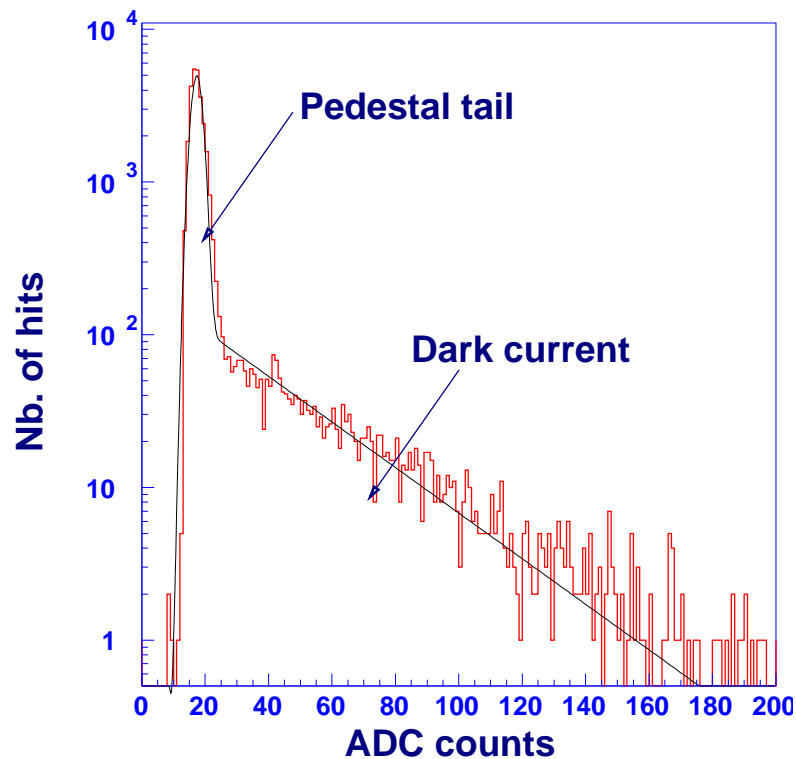
$$P(x) \simeq e^{-\lambda}\delta(x) + (1 - e^{-\lambda})\frac{e^{-\lambda}}{S\lambda} \frac{\lambda^{\frac{x}{S}}}{\Gamma(\frac{x}{S})}\theta(x)$$

The calibration resulted in

- Mean pedestal width: ~ 4 ADC counts.
- Mean gain ($\times 5$): ~ 67 ADC counts.
- $\sim 1\%$ of negative pedestals
- $\sim 9\%$ of double peaked pedestals



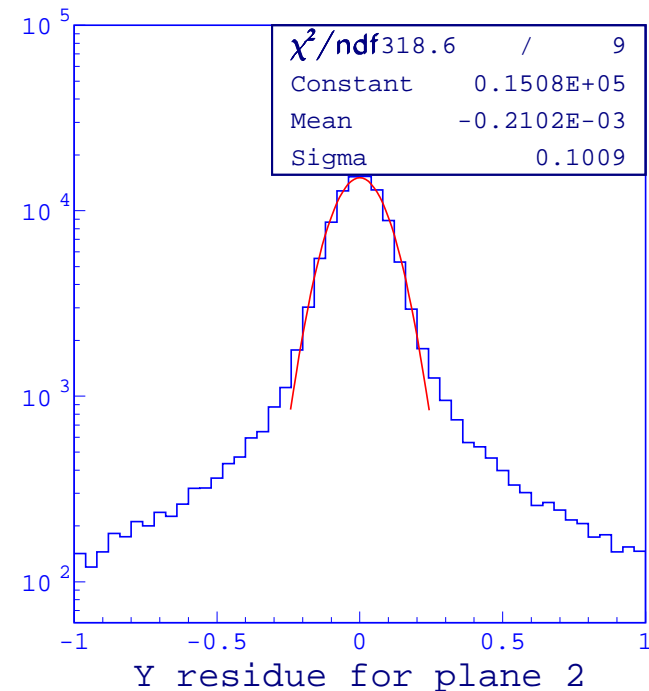
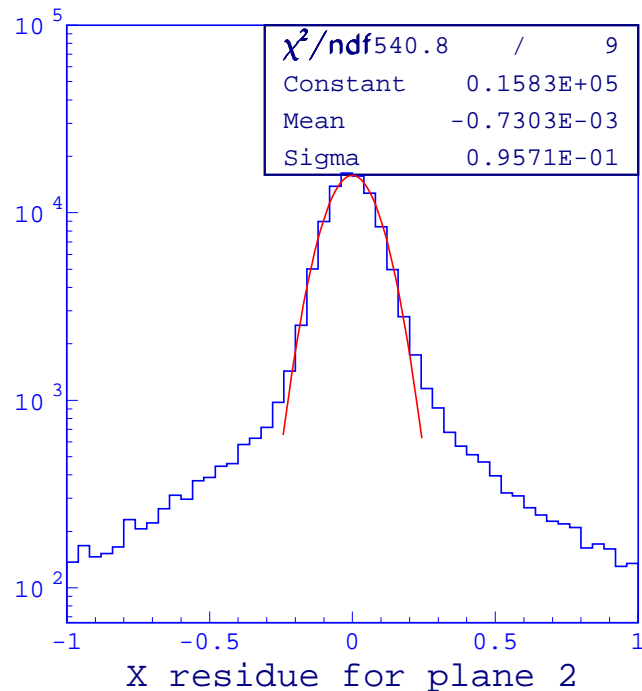
- Pedestals stability: in 19 hours is in the range ± 1 ADC counts.
- PMTs dark current: yields $\sim 4 \times 10^{-5}$ hits per event per channel.
- Pedestal tails ($> 4\sigma$): yields $\sim 8 \times 10^{-5}$ hits per event per channel.



Wire Chamber alignment

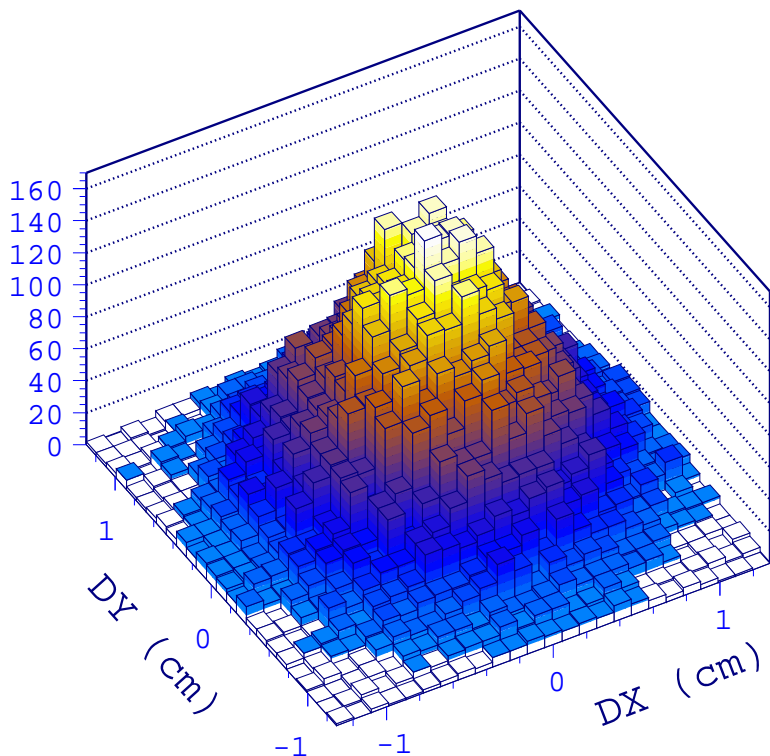
Procedure:

- Wire chamber signals are fitted to a line.
- The residues for each plane are computed.
- The local position or **all** planes is shifted according to the peak of the residues associated to it.



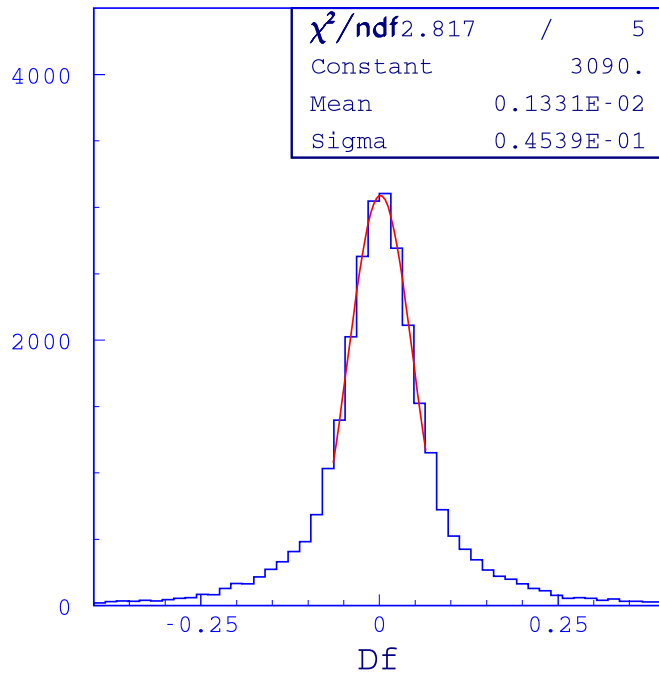
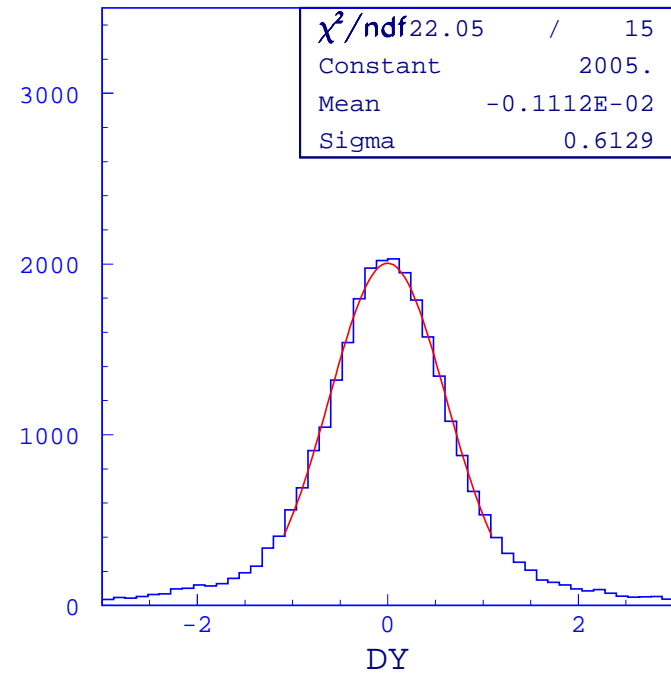
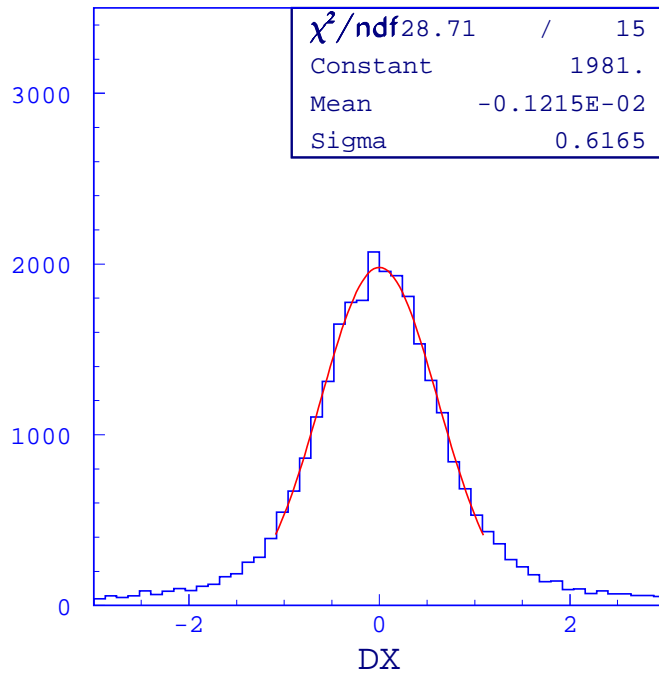
Wire Chambers/RICH alignment

- It relies in the RICH capacity to determine the light guide crossed by the particle.
 - From MC: $\sigma_x^{RICH} \simeq \sigma_y^{RICH} \approx 0.4\text{cm}$.
 - It present a small bias if the tracks are not homogeneously distributed in ϕ .



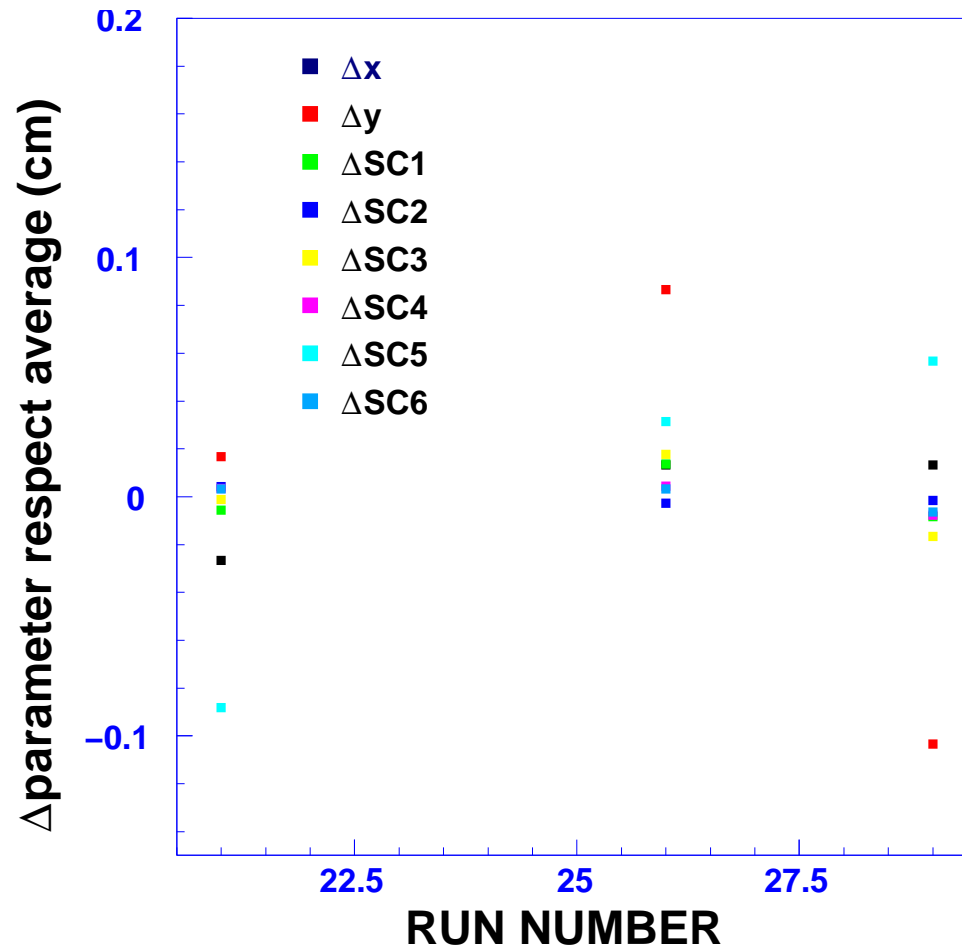
Procedure

- Compute the extrapolation of the track to the PMT matrix.
- Within a given region around this point ($\sim 1/2$ PMT size), choose the hit with largest number of p.e.
- If this number is large enough ($\geq 3\text{p.e.}$), compute:
 1. Distance in X to the track point.
 2. Distance in Y to the track point.
 3. Difference in $\tan^{-1} \frac{Y}{X}$ for the track point and the chosen one.



- All the aligned differences are compatible with zero.
- The $RICH \oplus WC$ resolution is $\sim 0.6\text{cm}$.

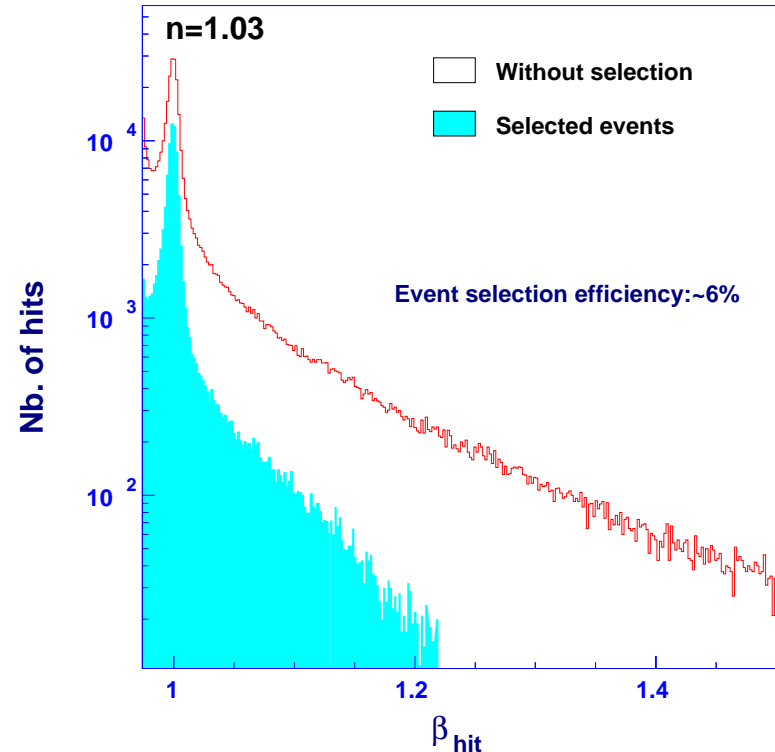
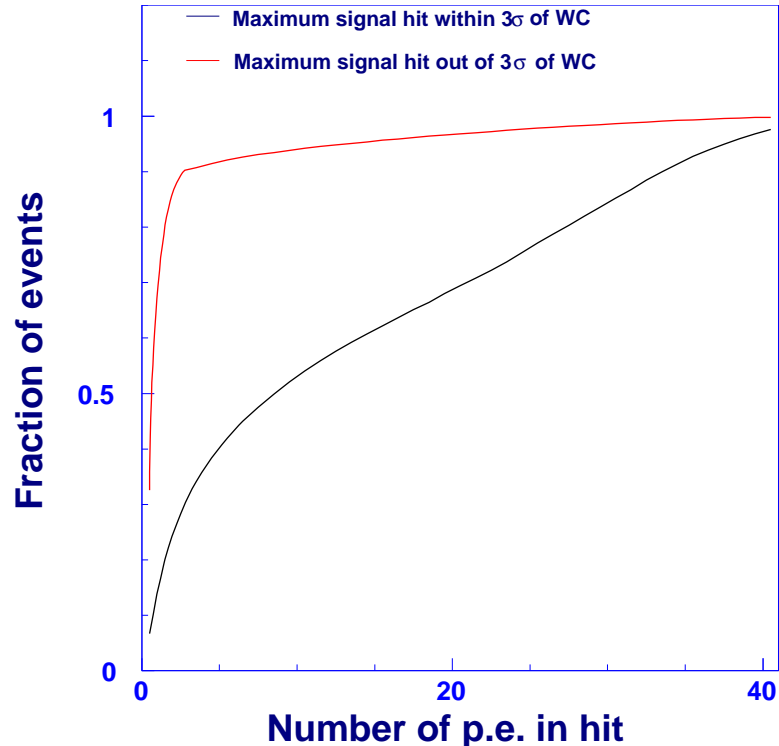
Alignment stability



- From one run to other the alignment parameters change in the range $\pm 1\text{mm}$.

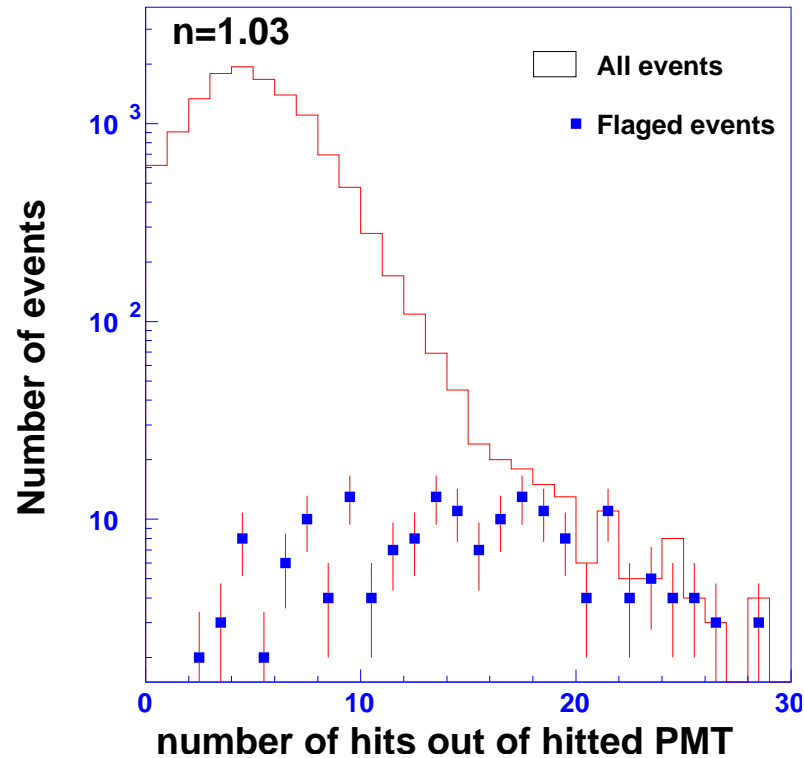
Track selection

- To ensure a well reconstructed track we proceed as in the alignment study, but we are more careful in choosing the signal threshold for the hit matching the track: `signal > 6 p.e.`
- Only tracks with a hit with a signal above the threshold matching the track are selected.
 - `Strong matching criteria:` Distance from track extrapolated point to selected hit $< 1\sigma_{RICH \oplus WC}$.
- Finally a loose χ^2 cut in the track is applied.



Event selection

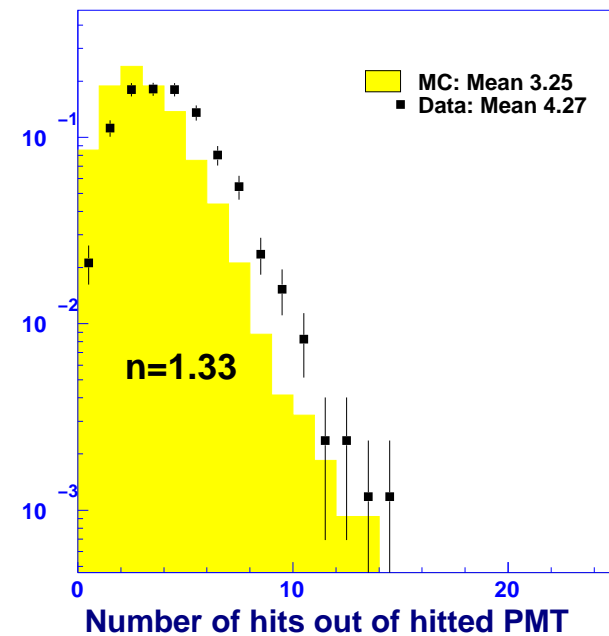
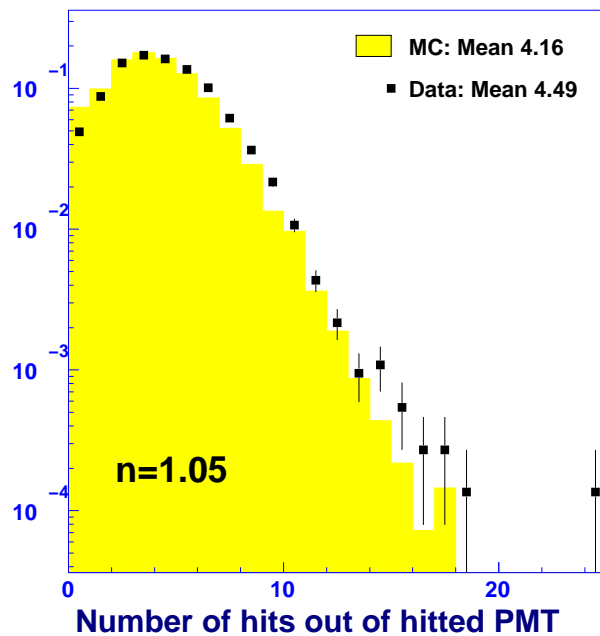
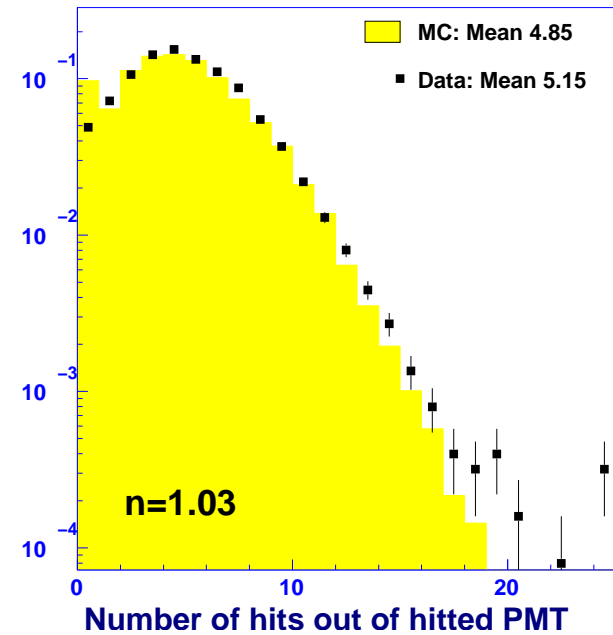
Further refinements are achieved by event selection:



- Events with possibility of confusion of the hit due to the crossing of the particle are flagged.

Number of hits

- Very good agreement between data and MC for **aerogel**.
- For **NaF** there is an extra 30% amount of hits respect MC.



β reconstruction algorithm

Two **closely related** algorithms implemented in the prototype reconstruction:

- **Reconstruction with track parameters.**

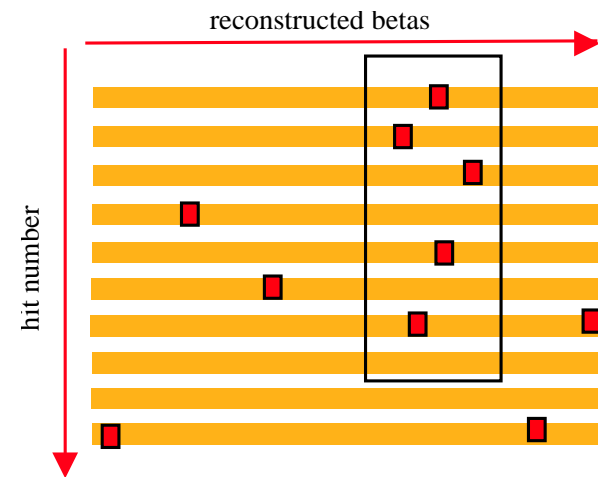
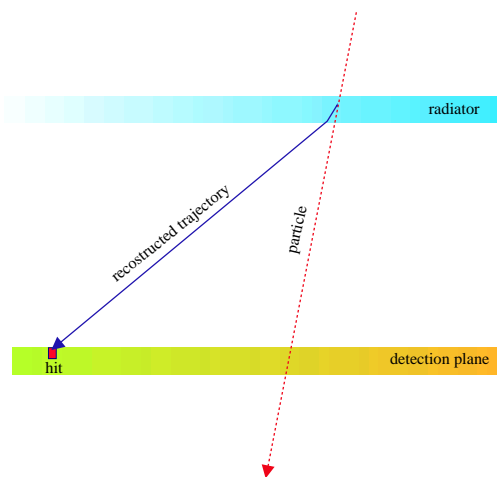
- Implemented in AMS software too.
- Very tested.
- Robust and fast as far as the tracks parameters are well known.
 - ▷ ≈ 140 times faster than Tracker reconstruction for protons.

- **Reconstruction without track parameters.**

- Not implemented in the AMS software.
- Not very tested (**but working**).
- ≈ 146 times slower than the reconstruction with known track parameters

Reconstruction with track parameters

1. **Back trace:** Find all the photons trajectories compatible with **each hit** and assign a β to each trajectory.
 - Semi analytical solving of propagation equation.
 - Assume a common emission point for all the photons: **mean emission point of the detected photons.**
2. Fast search of most the probable common β for all the reconstructed trajectories with noise reduction and ambiguity solving:
 - **Look for the cluster of β values such that:**
 - For each hit, only the trajectory with the associated β closer to the cluster center is considered.
 - Only the β closer than $3 \times \sigma(\beta \text{ hit})$ to the cluster center are considered.
 - Only the cluster with the bigger number of β values is retained.
 - The reconstructed particle β is the mean value of the cluster.



Reconstruction without track parameters

1. For a set of points over the radiator estimates the particle direction assuming that it passes by this point.
 - Currently it assumes that the particle passes through the light guide associated with the channel with bigger number of p.e.
2. If the estimated track is within the geometrical acceptance: reconstruct β .
3. Select the track with the best reconstructed β .

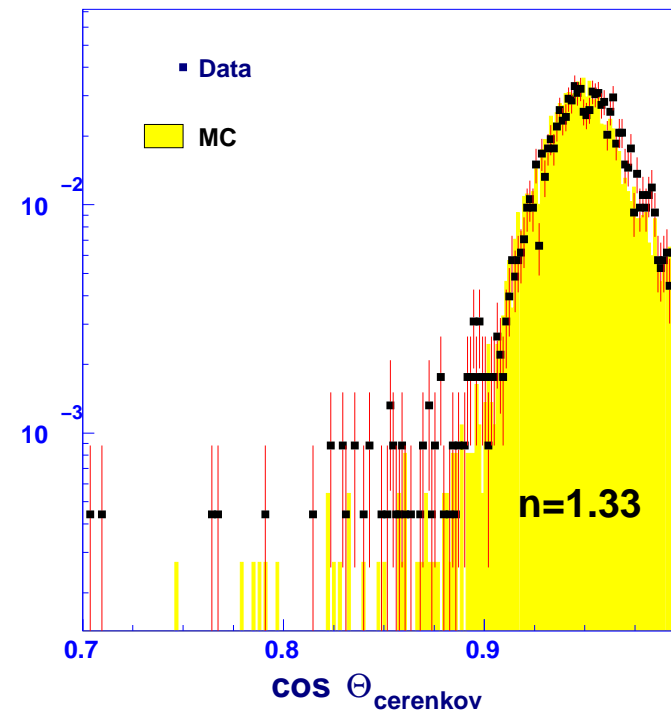
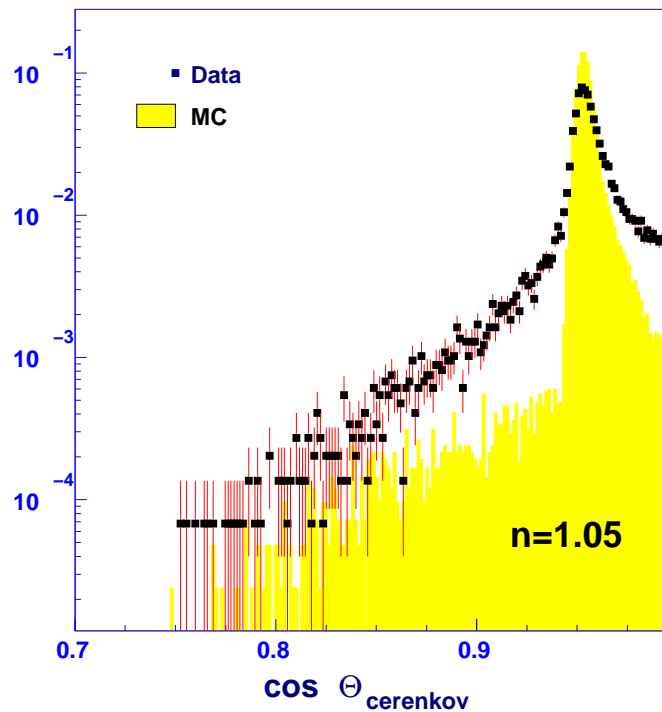
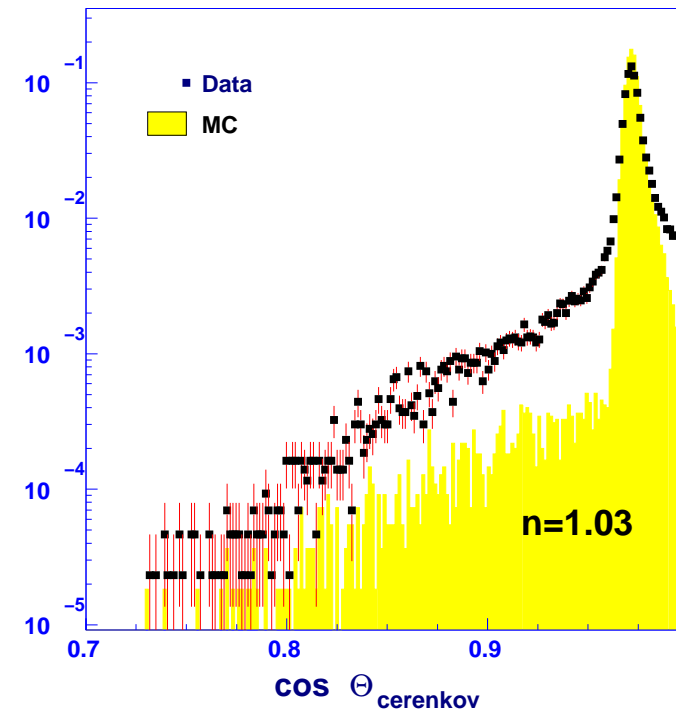
The uncertainty of the PMT behaviour when it is crossed by a charged particle is a source of uncertainty in the resolution for the current implementation of the algorithm.

Track known: all β_{hit} spectrum

For aerogel there are two main differences between data and MC:

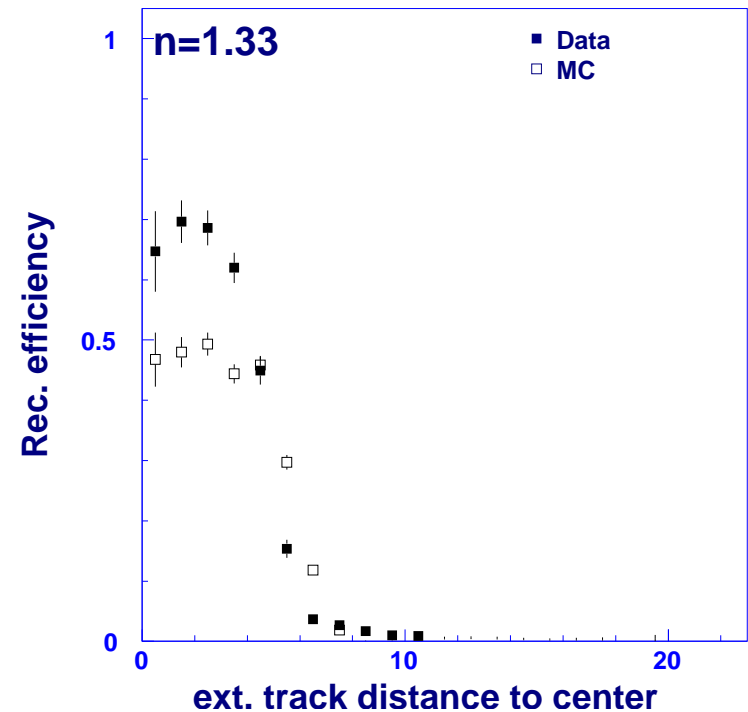
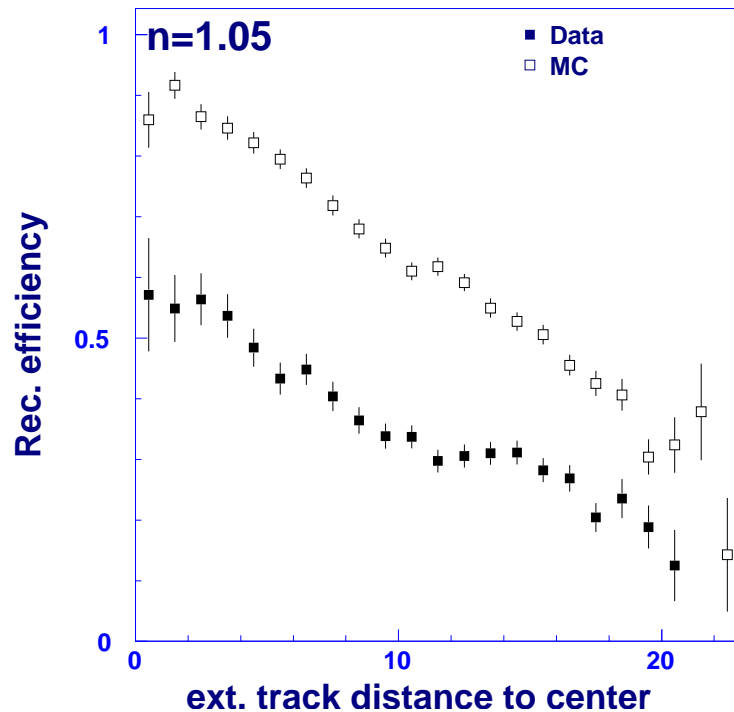
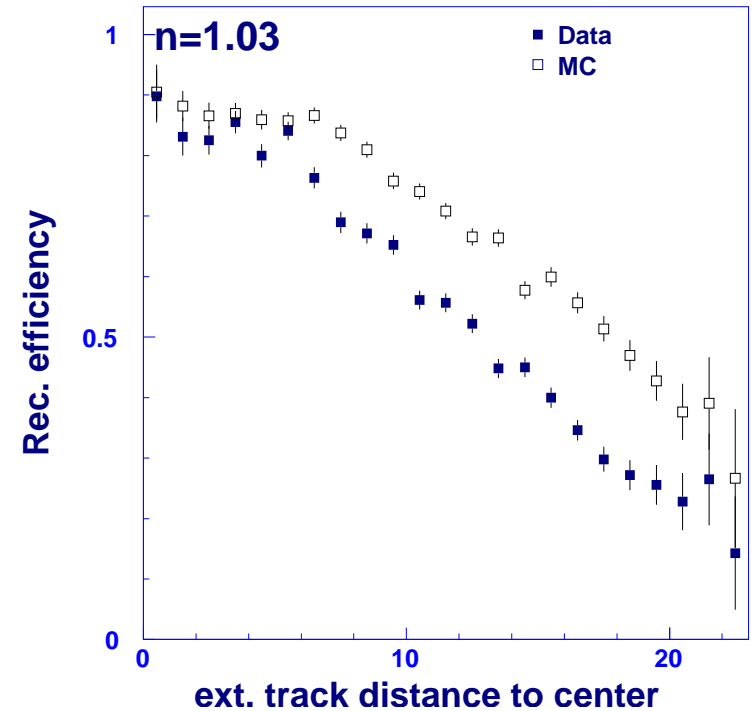
- The background in data is larger than in MC.
- The Čerenkov peak width is larger in data than in MC.

This disagreement is larger for $n=1.05$. Apparently this does not happen for NaF.



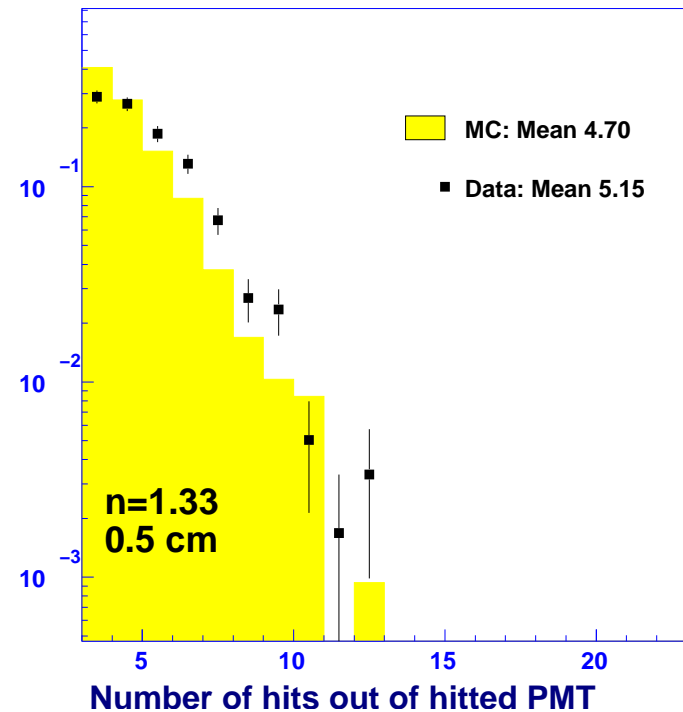
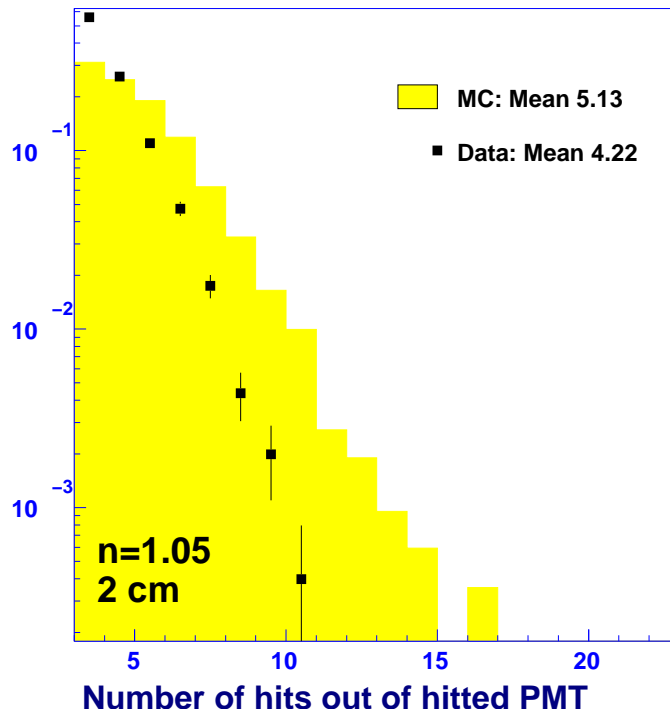
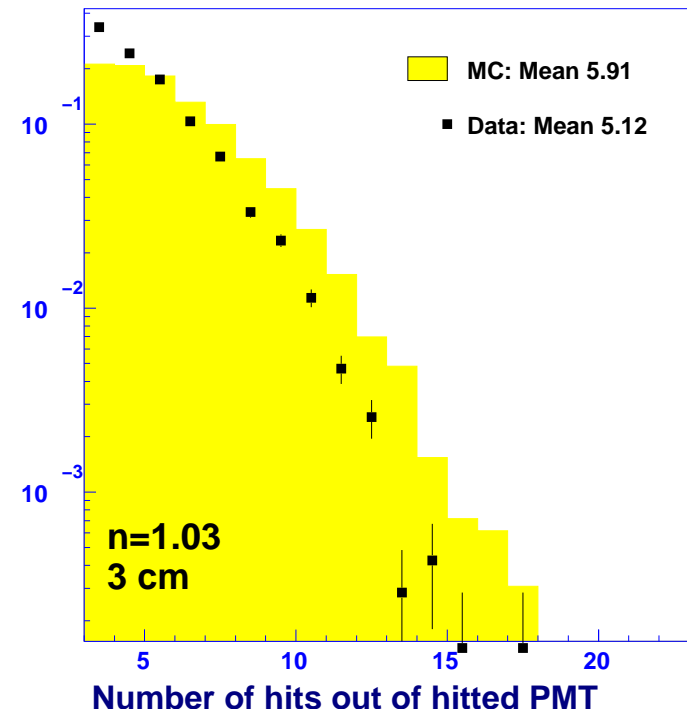
Track known: reconstruction efficiency

- Good agreement with MC for 1.03:
 - **1.03:** Small disagreement due to ~ 1 hit of difference.
- Large disagreement for 1.05, to be investigated further.
- Disagreement in NaF compatible with excess of hits in the ring, could be due to geometry (still to be checked).



Track known: hits in ring

- There is an important defect of hits associated to a ring for aerogel in data respect MC. The disagreement for $n=1.05$ is quite worse than for $n=1.03$.
- For NaF this difference is a small excess of hits in the ring of data respect MC .

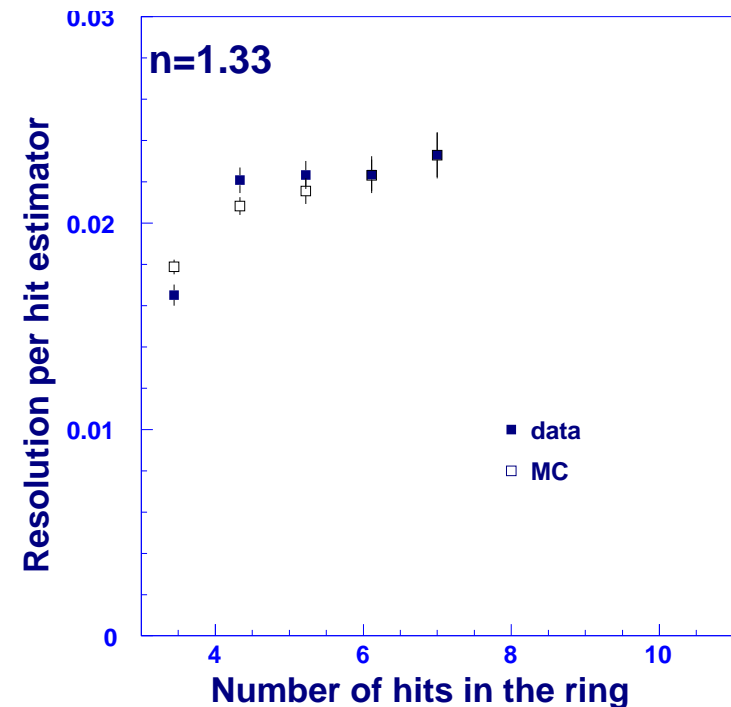
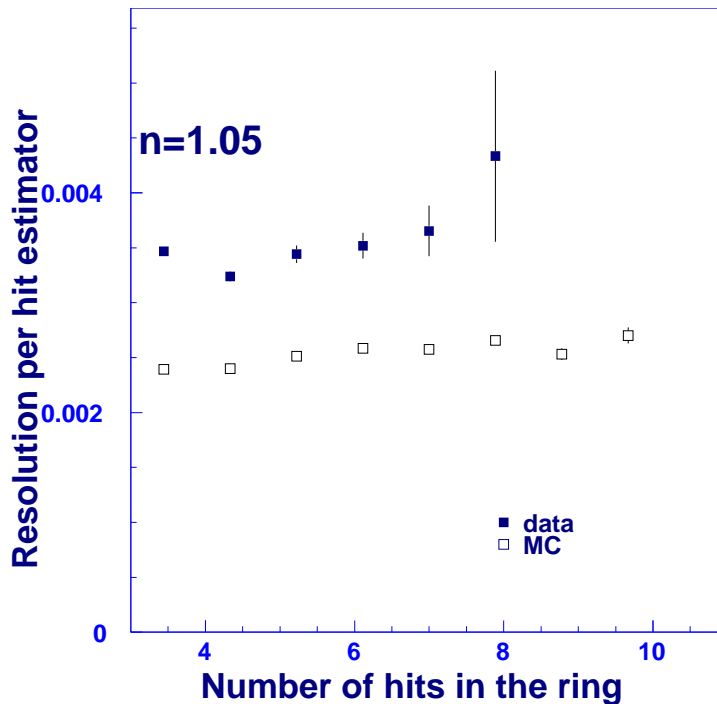
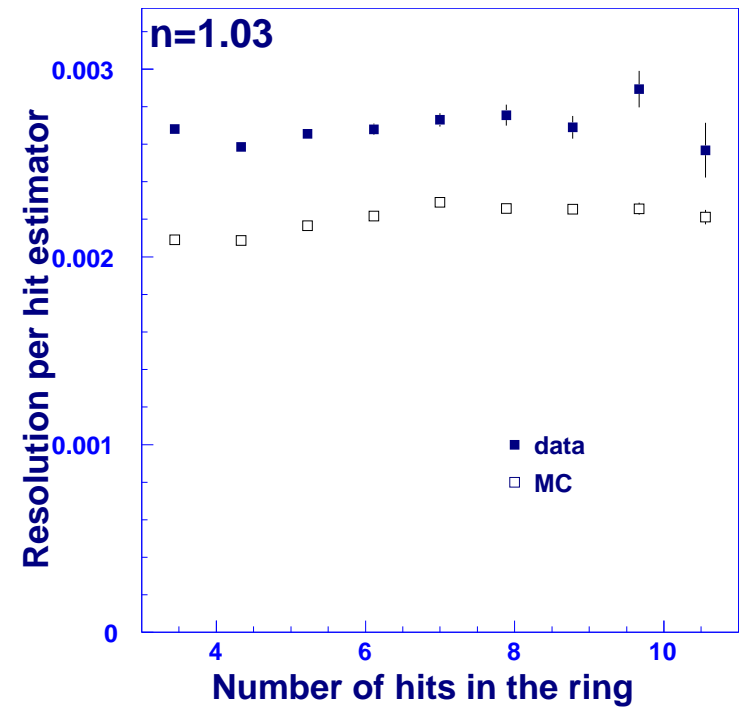


Track known: resolution per hit

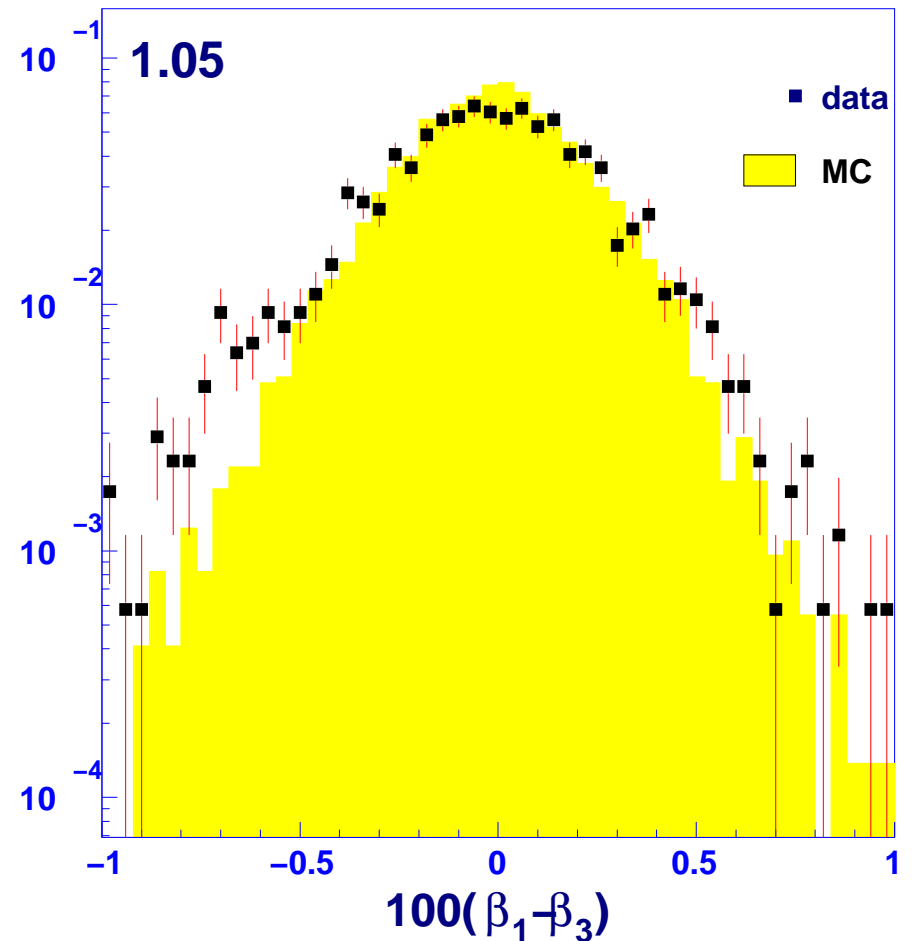
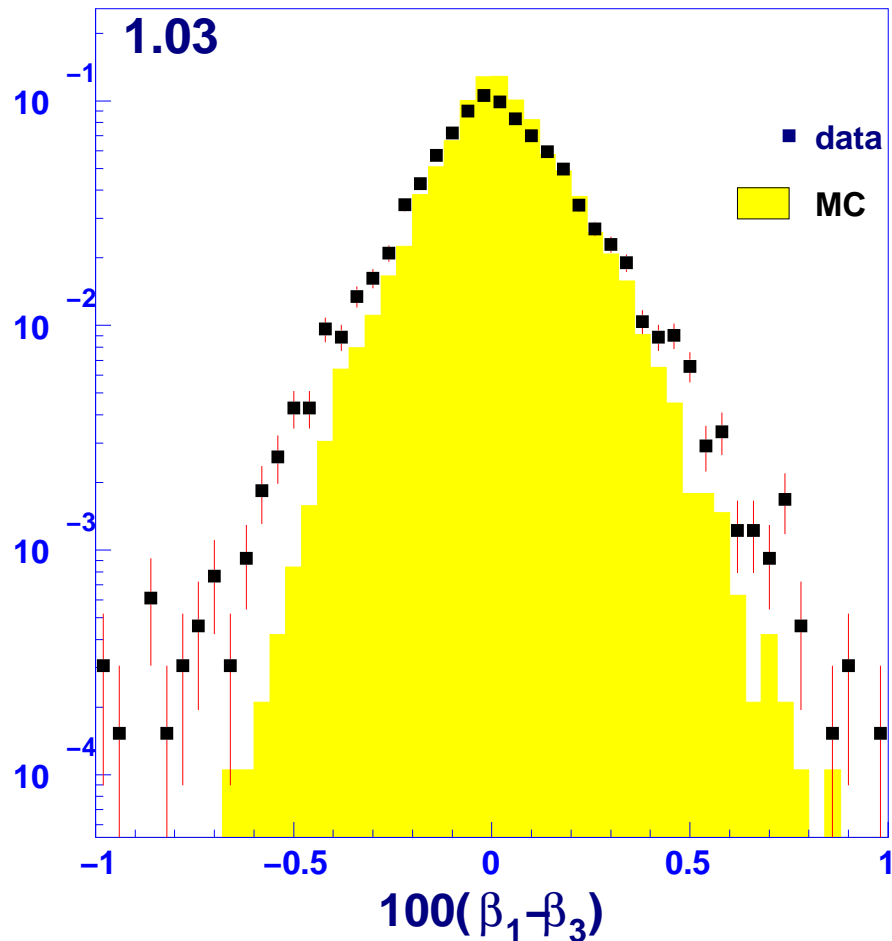
- Estimated as

$$\lim_{n_{used} \rightarrow \infty} \sqrt{\frac{n_{used}}{n_{used} - 1}} \sigma(\beta_{event} - \beta_{hit})$$

- ≈ 25% of disagreement for $n=1.03$
- Roughly 40% for $n=1.05$, but not conclusive due to the lack of hits.
- Very good agreement for NaF

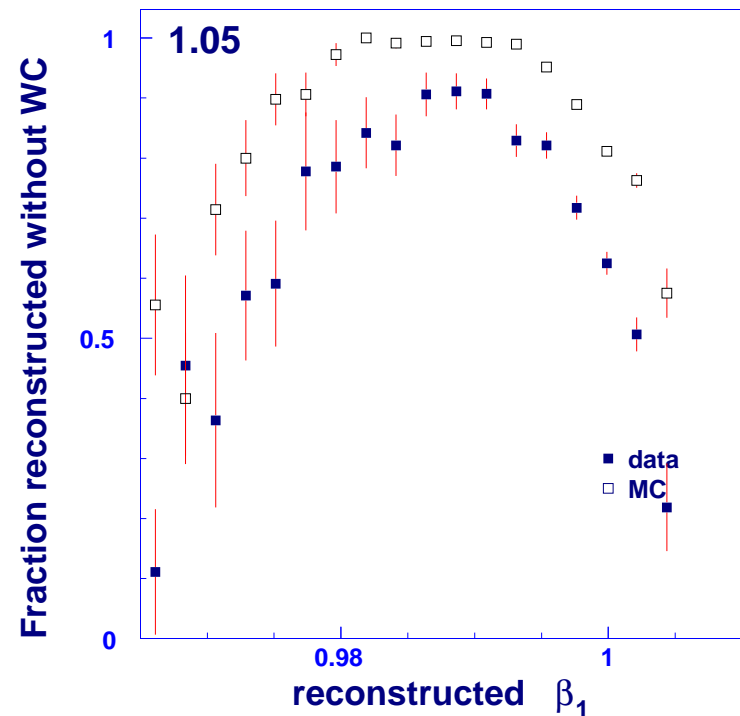
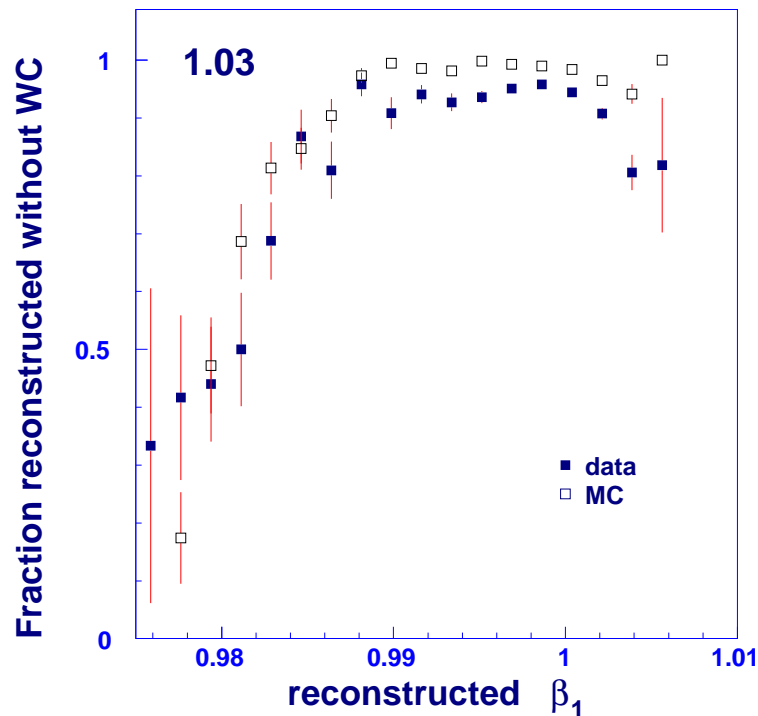


Track unknown: correlation with 'track known' rec.



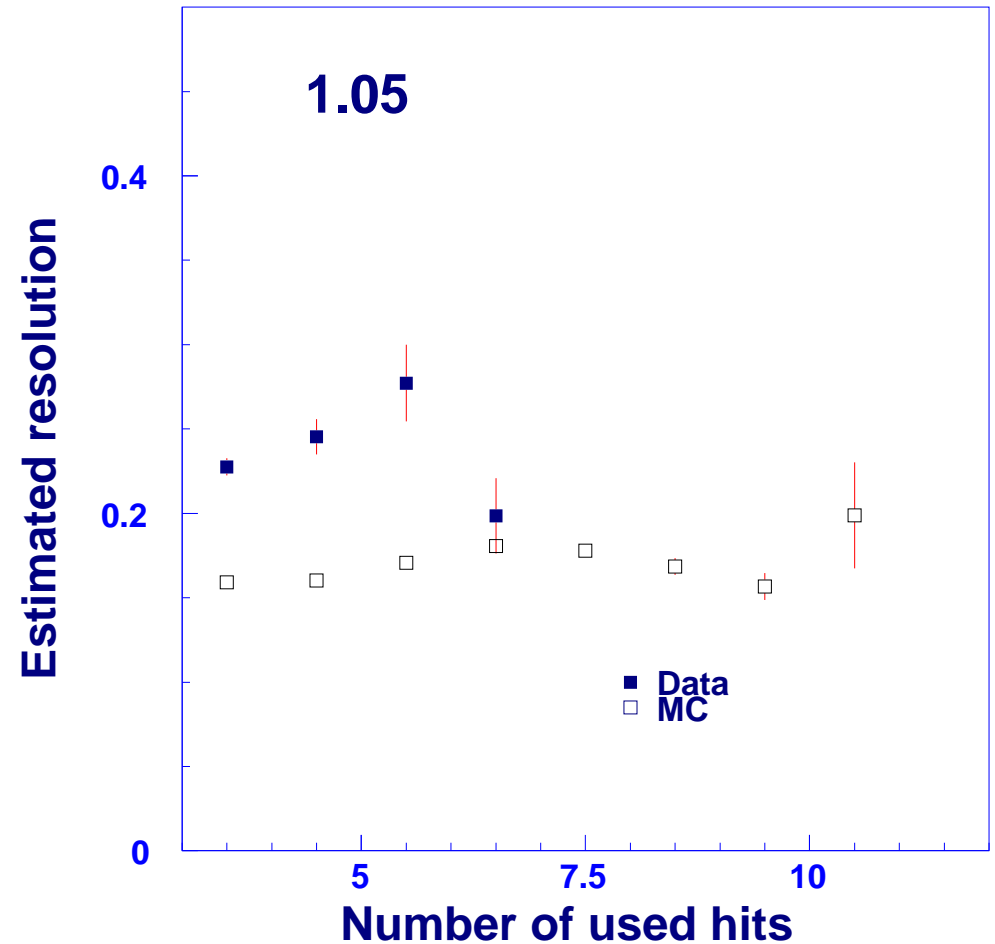
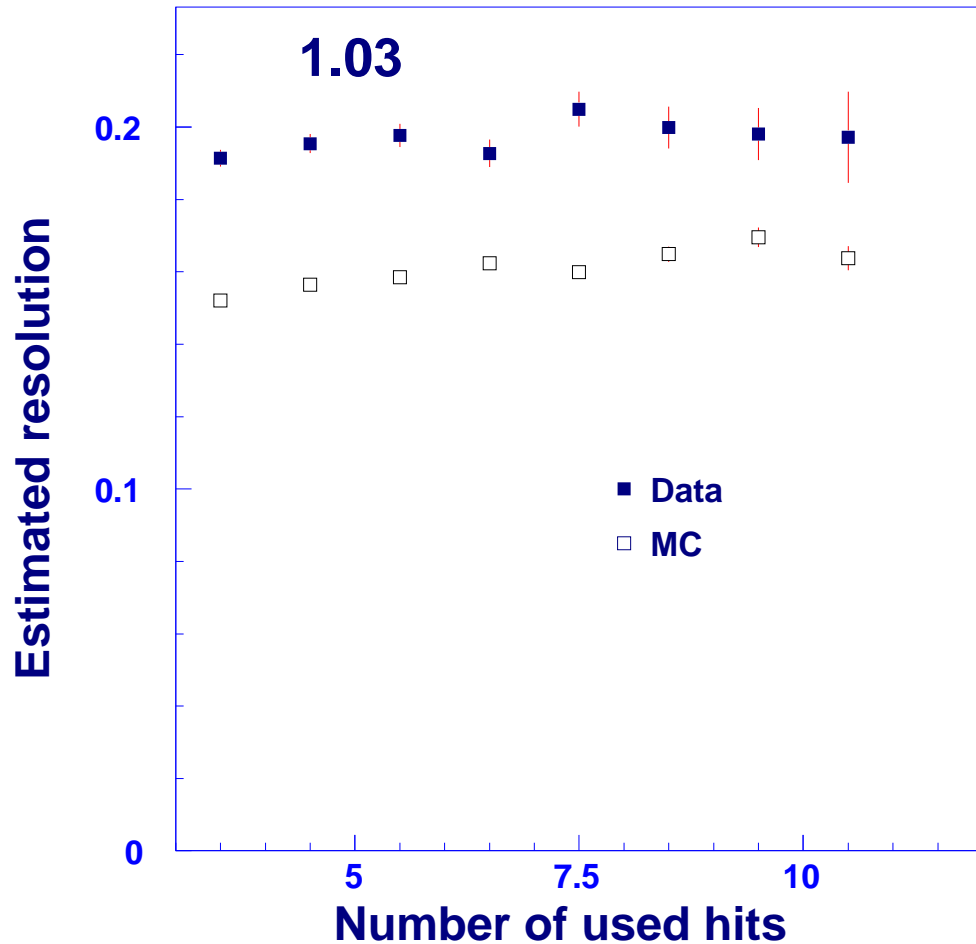
- New reconstruction only working for aerogel runs.
- Reconstructions difference are within $\approx 2\sigma$ of the reconstruction using the wire chambers for data and MC.

Track unknown: reconstruction efficiency



- The reconstruction without wire chambers has a strong dependence in the fraction of ring detected. This explain the decrease for large β in the efficiency.
- The reconstruction efficiency for $n=1.05$ is smaller than the expected. This is due to the small mean number of hits per ring on data respect the MC.

Track unknown: resolution per hit (%)



- For $n=1.03$, the disagreement between data and MC is similar to the one of the reconstruction using the wire chambers.
- For $n=1.05$, apparently the disagreement is similar too. However the small number of hits per rings makes it difficult to give a precise number.

Summary of differences

We can summarize the previous results as:

- For aerogel the background is larger than the expected.

This difference is such that:

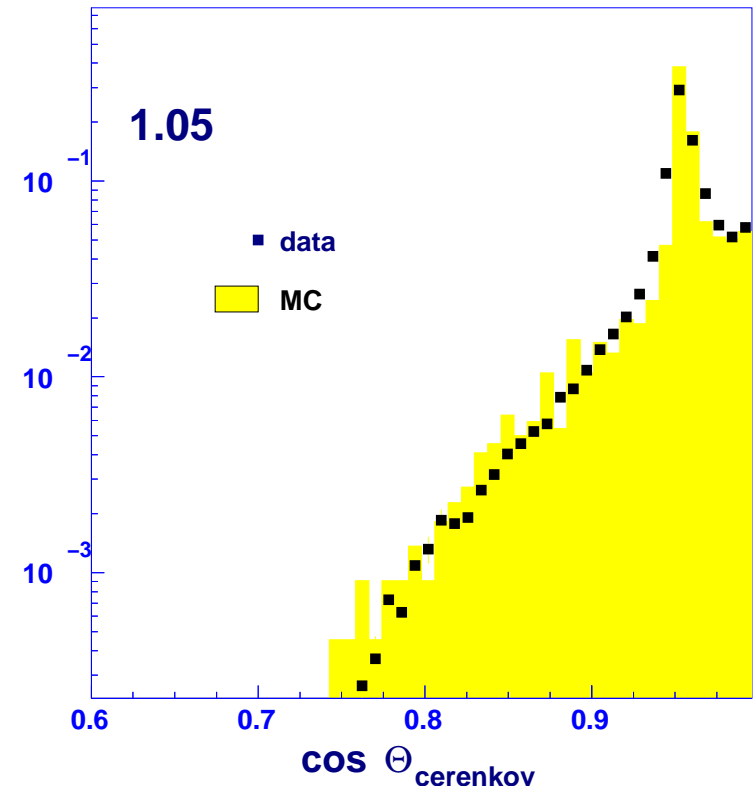
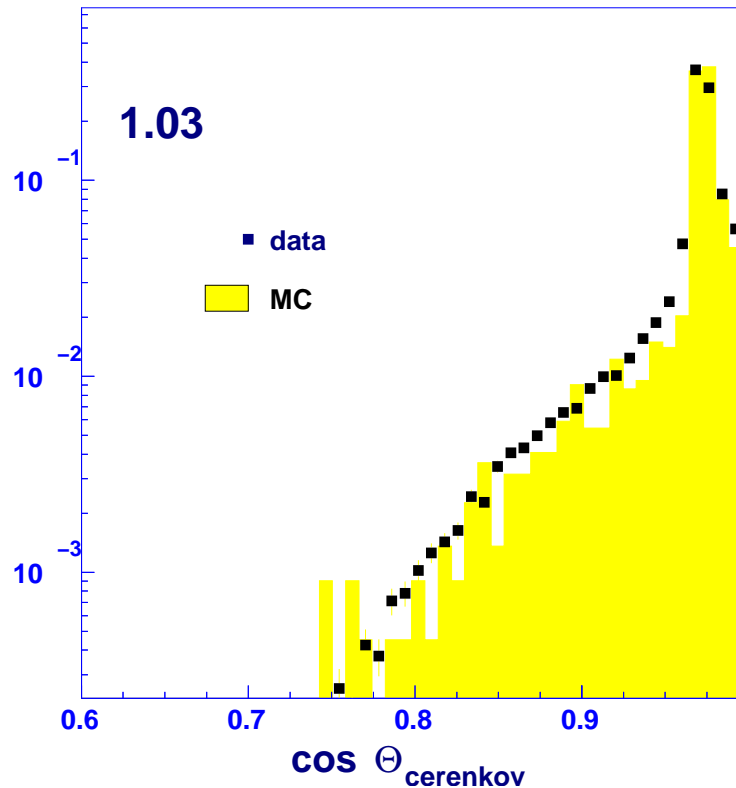
- The total number of hits agrees in data and MC.
- The number of hits in the ring is smaller in data.

thus pointing to a migration from the population of hits in the ring to the background.

Apparently this does not happen for NaF.

- The resolution per hit for aerogel is worse than expected.

Background excess



- The background and (partly) the difference in the resolution can be parametrized as a scattering process over imposed to the Rayleigh with:

$$n=1.03$$

— Mean free path: 2 cm

— $\frac{d\sigma}{d\Omega} \propto \frac{G_{\sigma=0.5}(\theta)}{\sin\theta}$

$$n=1.05$$

— Mean free path: 1 cm

— $\frac{d\sigma}{d\Omega} \propto \frac{G_{\sigma=0.5}(\theta)}{\sin\theta}$

The necessary scattering lengths ratio is compatible with the values obtained from the clarity:

$$L_{scattering}(\lambda) = \lambda^4 Clarity^{-1}$$

- $n=1.03$ ($Cl=0.0042$) : $L_{scattering}(400nm) \approx 6cm$
- $n=1.05$ ($Cl=0.0091$) : $L_{scattering}(400nm) \approx 3cm$

However the cross section is different:

$$\frac{d\sigma_{rayleigh}}{d\Omega} \propto 1 + \cos^2\theta$$

The deterioration of the resolution is, at least partly, due to this effect.

Need to be measured!!!

Conclusions

- NaF resolution agrees with MC.
So light guide angular inefficiency is well reproduced in MC. not clear.
- NaF photon yield is larger than expected.
This to be understood.
- Agreement for $n=1.03$ is better than for $n=1.05$ (but note the acceptance and radiator thickness differences). However the source of both disagreements seems to be similar:
 - Apparently it is not the wire chambers, as we see it using the independent algorithm.
 - It is not the light guides or PMT, as we do not see it for NaF.
 - The stacking cannot be responsible for all the effect as for $n=1.05$ the stacking is smaller but the disagreement is larger.
 - The disagreement could be due to a very forward scattering process.
 - We have not idea of the contribution due to the polyester foil!!

Petitions

- Set of measurements of the aerogels forward scattering angular distribution to determine if the new scattering process is really there.
- Set of runs without the polyester.
- Run of $n=1.03$ (at least) without stacking.
- Run with $n=1.05$ with 3cm of thickness and/or smaller drift distance.
- Measurement of light guides properties.